

# Analysing the Applicability of a Multi-Criteria Decision Method in Fog Computing Placement Problem

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# Fog Computing

Architecture that distributes computing, storage, and networking closer to users, and anywhere along the

OpenFog Consortium - Definition

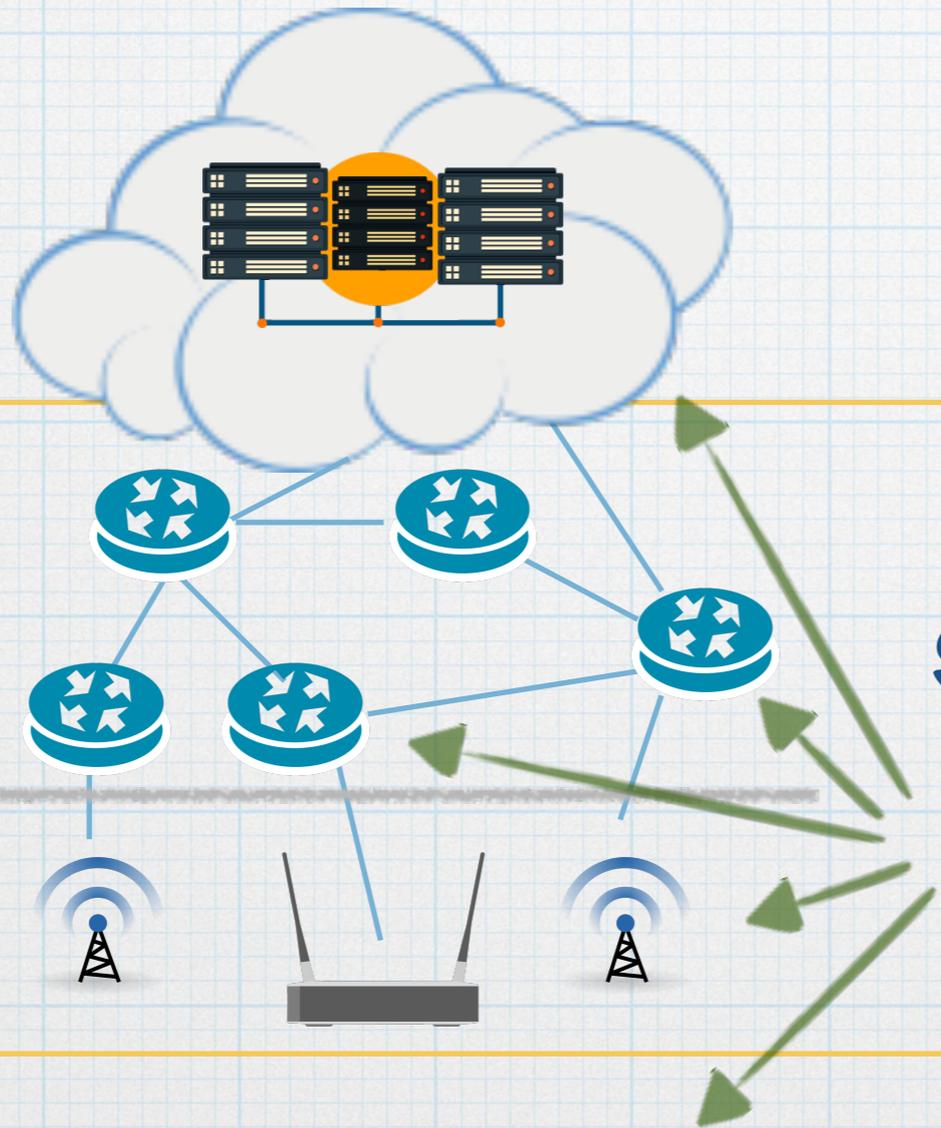
Cloud

Network  
core

edge

Things

users & IoT end-devices



Where do we allocate  
services along the continuum  
?

- + Not trivial
- + Dynamic
- + Complex Decision

# Fog Computing Placement Problem (FCPP)

a challenging problem:

- \* **Influences** on the functional and non-functional requirements.
- \* **Depends** on multi-criteria satisfaction, i.e. latency, temporal availability, power consumption, costs, application packaging, resource utilisation, scaling possibilities, network congestions, software compatibility, user preferences, licenses, redundant links, geographical distribution, migrations, application composition, & son on.

**NP-hard problem**

# Our approach

Other approaches try to find the most optimal allocation: a lot of resources, slow process, and global-~~&~~-static vision of the ecosystem

To address this problem:

- \* Our objective is to find the placement of a service that satisfies the higher number of criteria,
  - \* This decision concerning diverse and, often, opposite criteria
- \* This process can be applied
  - \* multiple-times / dynamically
  - \* performed on fog-nodes

We use multi-criteria decision aiding discipline (MCDA) method

# MCDM

- \* MCDM is an activity which helps **making decisions** mainly in terms of choosing, ranking or sorting the actions.
- \* The ingredients of MCDM are a finite or infinite set of actions (alternatives, solutions, courses of action, ...), at least two criteria, and, obviously, at least one decision-maker (DM).
- \* (MCDM) **A decision** "is a binary relation  $S$  defined on the set of potential actions  $a$  such that  $aSb$  if there are enough arguments to decide that  $a$  is at least as good as  $b$ , whereas there is no essential argument to refute that statement."
- \* Main outranking family methods are: PROMETHEE and ELECTRE: I, IV, IS, II, III, IV, SS, TRI



# ELECTRE III ingredients on FCPP

## (1°)

- \* To “aSb” two possible allocations, we need to evaluate them in terms of  $m$  criteria  $(g_1, g_2, \dots, g_m)$ , ie. **latency**
- \* Given a criterion  $(g_i)$ , the alternative  $a$  is considered better than alternative  $b$  when  $g_i(a) > g_i(b)$   
  
if **eval\_latency(alloc<sub>a</sub>) > eval\_latency(alloc<sub>b</sub>)** then  
alloc<sub>a</sub> better than alloc<sub>b</sub> in terms of latency
- \* but in this **decision**, we need to manage with some uncertain threshold of preference and indifference values for each criterion



# ELECTRE III ingredients (2°)

a is at least as good as b

1° Concordance Matrix :

$$C_i(a, b) = \begin{cases} 1 & \text{if } g_i(a) \geq g_i(b) - q_i(g_i(a)) \\ 0 & \text{if } g_i(a) \leq g_i(b) - p_i(g_i(a)) \\ \frac{p_i(g_i(a)) + g_i(a) - g_i(b)}{p_i(g_i(a)) - q_i(g_i(a))} & \text{otherwise} \end{cases}$$

indifference  
preference

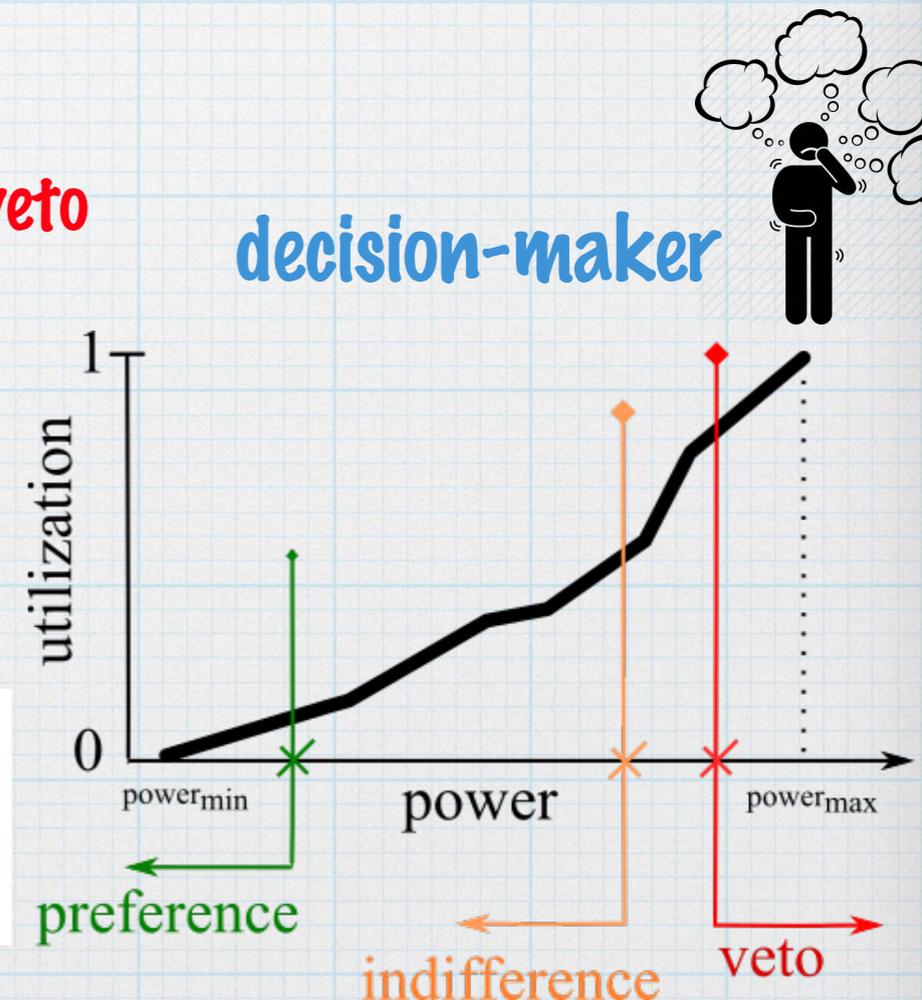
2° Discordance Matrix :

$$d_i(a, b) = \begin{cases} 1 & \text{if } g_i(a) \geq g_i(b) - v_i(g_i(a)) \\ 0 & \text{if } g_i(a) > g_i(b) - p_i(g_i(a)) \\ \frac{g_i(b) - g_i(a) - p_i(g_i(a))}{v_i(g_i(a)) - p_i(g_i(a))} & \text{otherwise} \end{cases}$$

veto

3° "aSb == a outranks b":

$$S(a, b) = \begin{cases} C(a, b) & \text{if } g_i(a) \geq g_i(b) - v_i(g_i(a)) \\ C(a, b) \prod_{i \in K} \frac{(1 - d_i(a, b))}{1 - C(a, b)} & \text{otherwise} \end{cases}$$



# Experiment



\* We compare our **Electre III**-based approach with a simple **weighted average** in six different cases according with the necessities of a DM

**decision-maker**

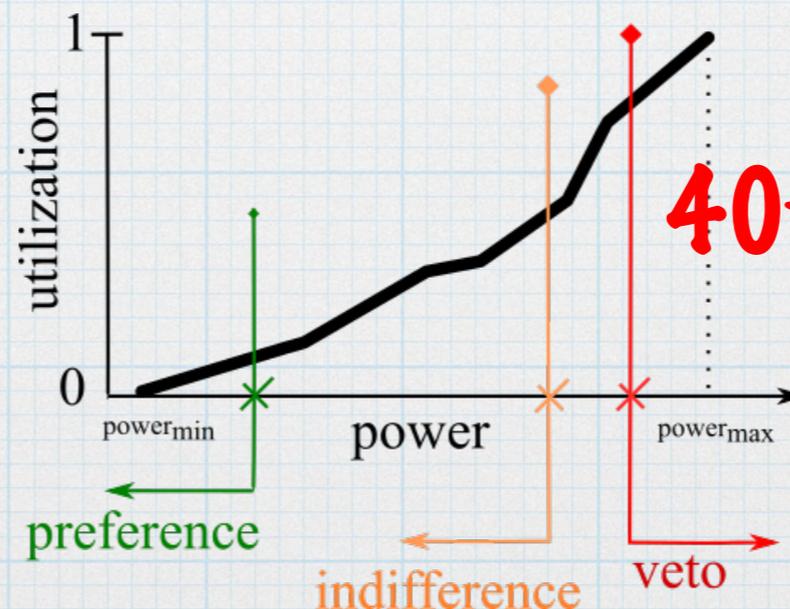
Case	Hop count	Latency	Power	Cost	D.Penalty
A	3	3	3	3	3
B	1	4	3	3	3
C	4	1	3	3	3
D	4	4	1	3	3
E	4	4	3	1	3
F	4	4	3	1	1

\* The idea is to determine if all the cases reflect the importance of each decision

on %-values

\* Preference, Indifference and Veto thresholds are chosen dynamically according with all possible values in each allocation for each criterion.

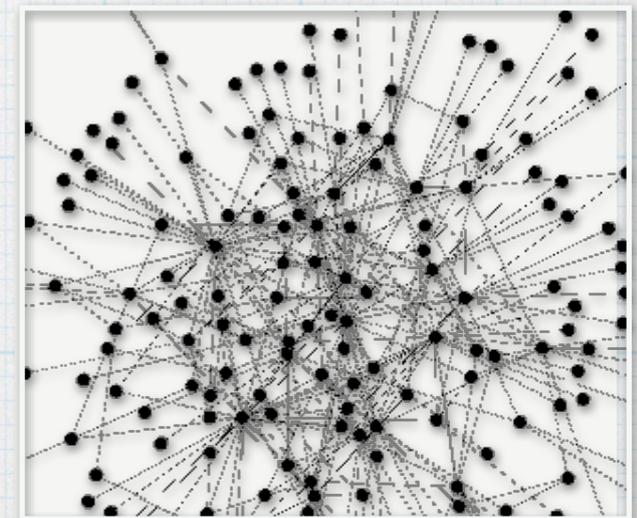
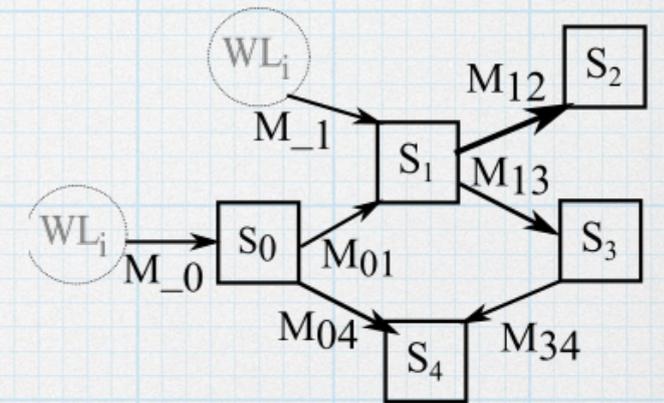
10th percentile / 3  
20th percentile



40th percentile

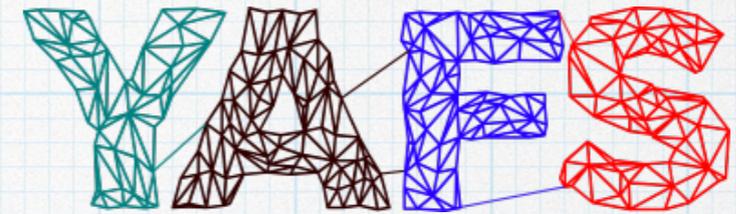
# Modelling a dynamic Scenario

- \* **5 Criteria:** Latency, Hop count, Energy consumption, Cost, and Deployment penalty
- \* **10 Applications** set up by a composition of 10 avg. services (modeled as a Directed Acyclic Graph model)
- \* **40 Users**, where their arrivals follow an exponential distribution
  - \* In each User's service invocation, -> **ALLOCATION PROCESS**
- \* **Network infrastructure:** a graph
  - \* Generalized Linear Preference (GLP) (aSHIP tool): **200 nodes**
  - \* All nodes are Fog nodes
  - \* IPS = random (50: 1000)
  - \* PR links =  $r(10: 90)$
  - \* BW links =  $r(100: 1000)$
  - \* Power min =  $r(30: 50)$  & max =  $r(400: 1000)$
  - \* Cost depends on degree level, 0-4 degree value are "cheaper" & >4 degree value are "expensive"



# tools

\* Yet Another Fog Simulator

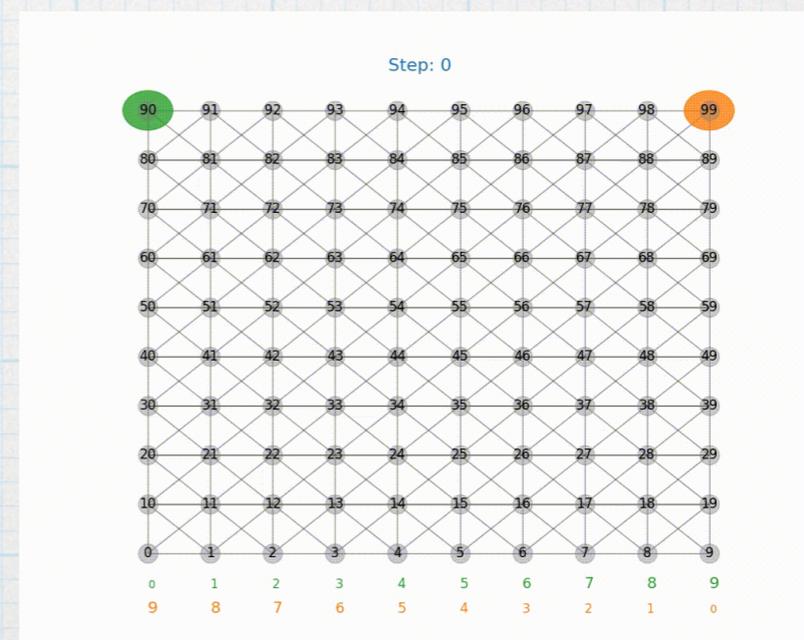
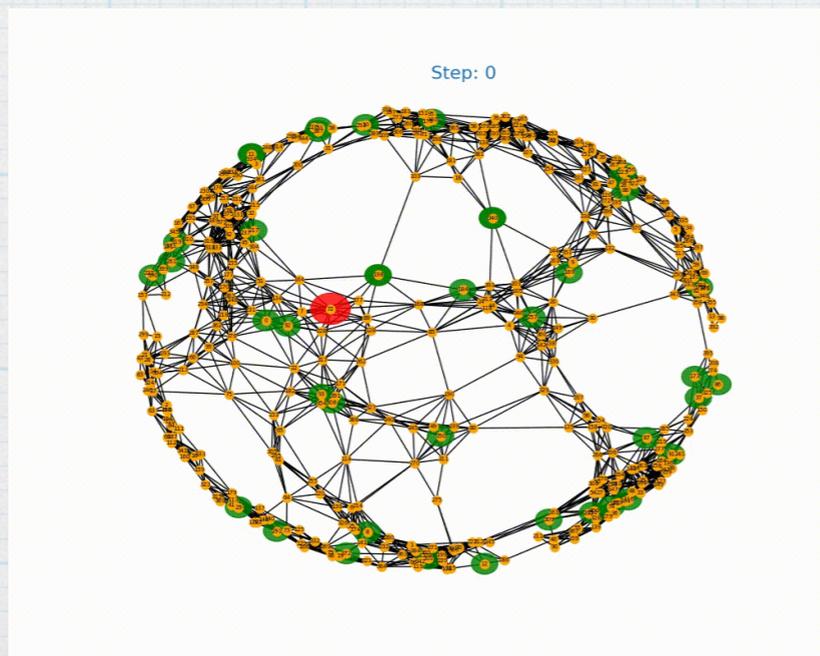


\* Python & Free software

<https://github.com/acsicuib/YAFS>

\* Infrastructure -> Complex Network theory

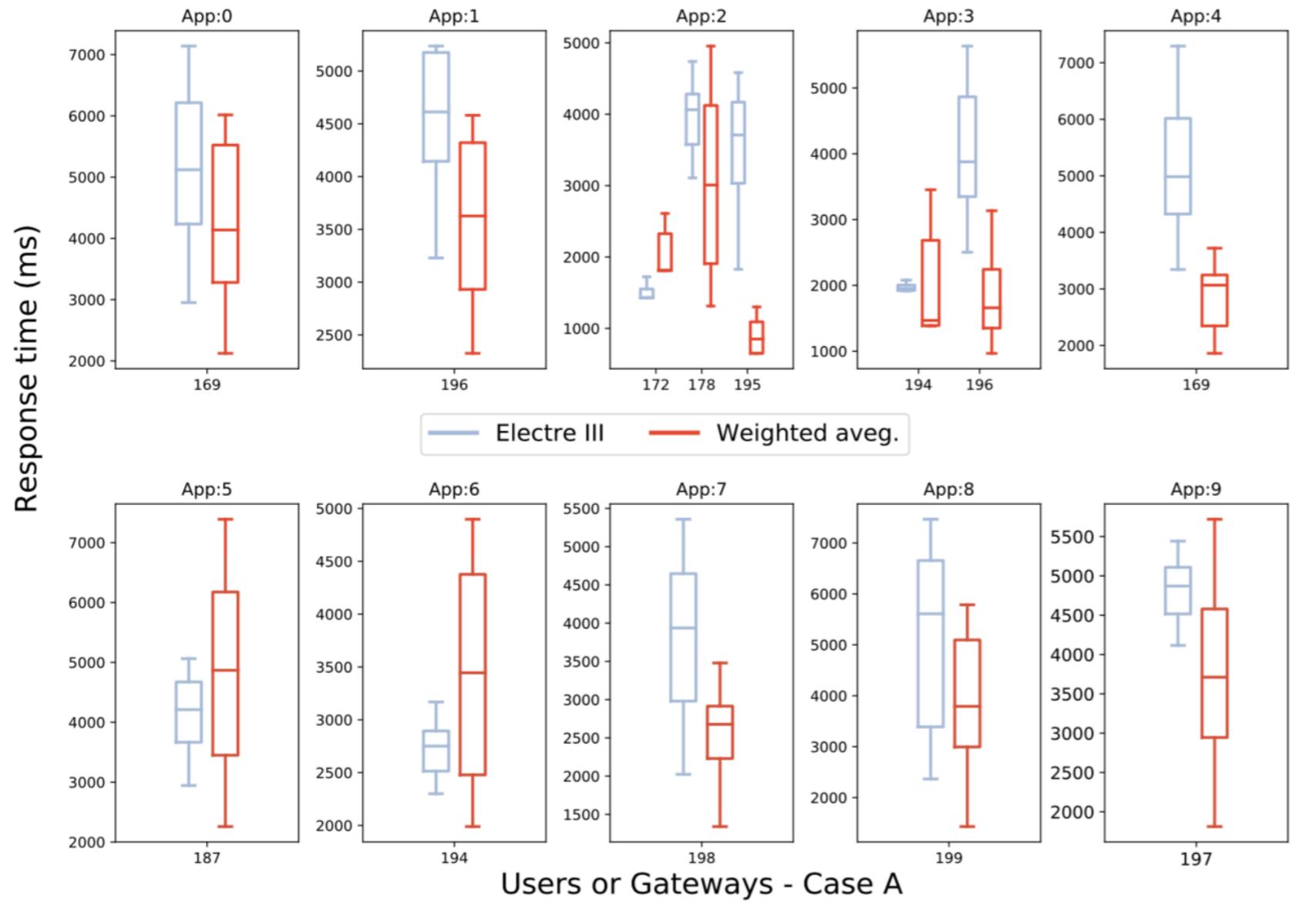
\* Dynamic movement of “things/users”, services and other events.



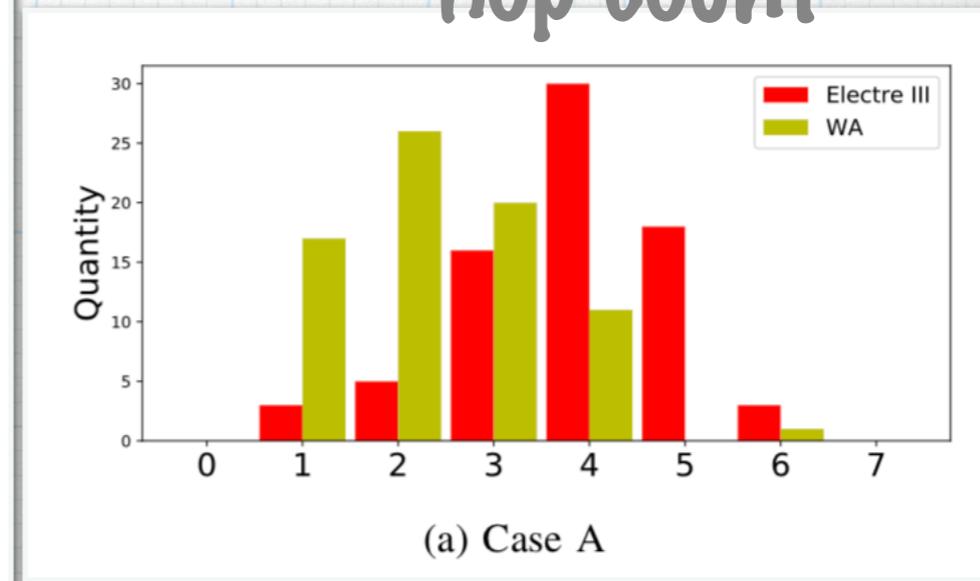
# Results

Case	Hop count	Latency	Power	Cost	D.Penalty
A	3	3	3	3	3

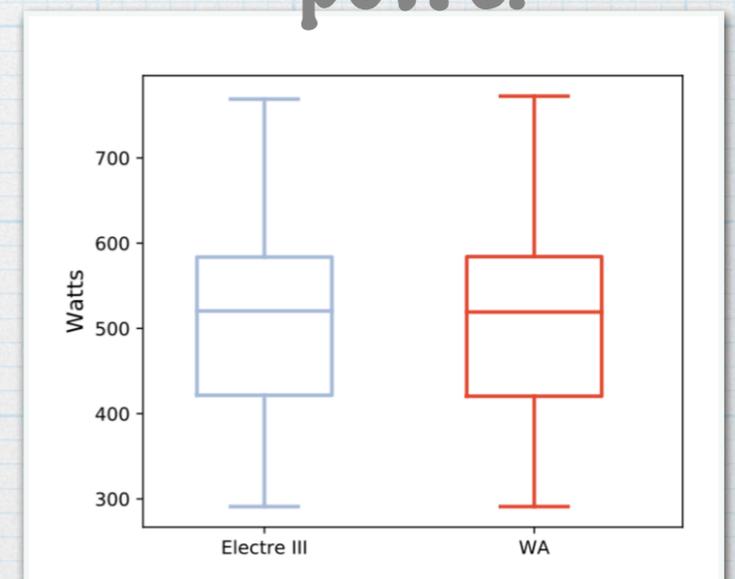
## latency



## hop count



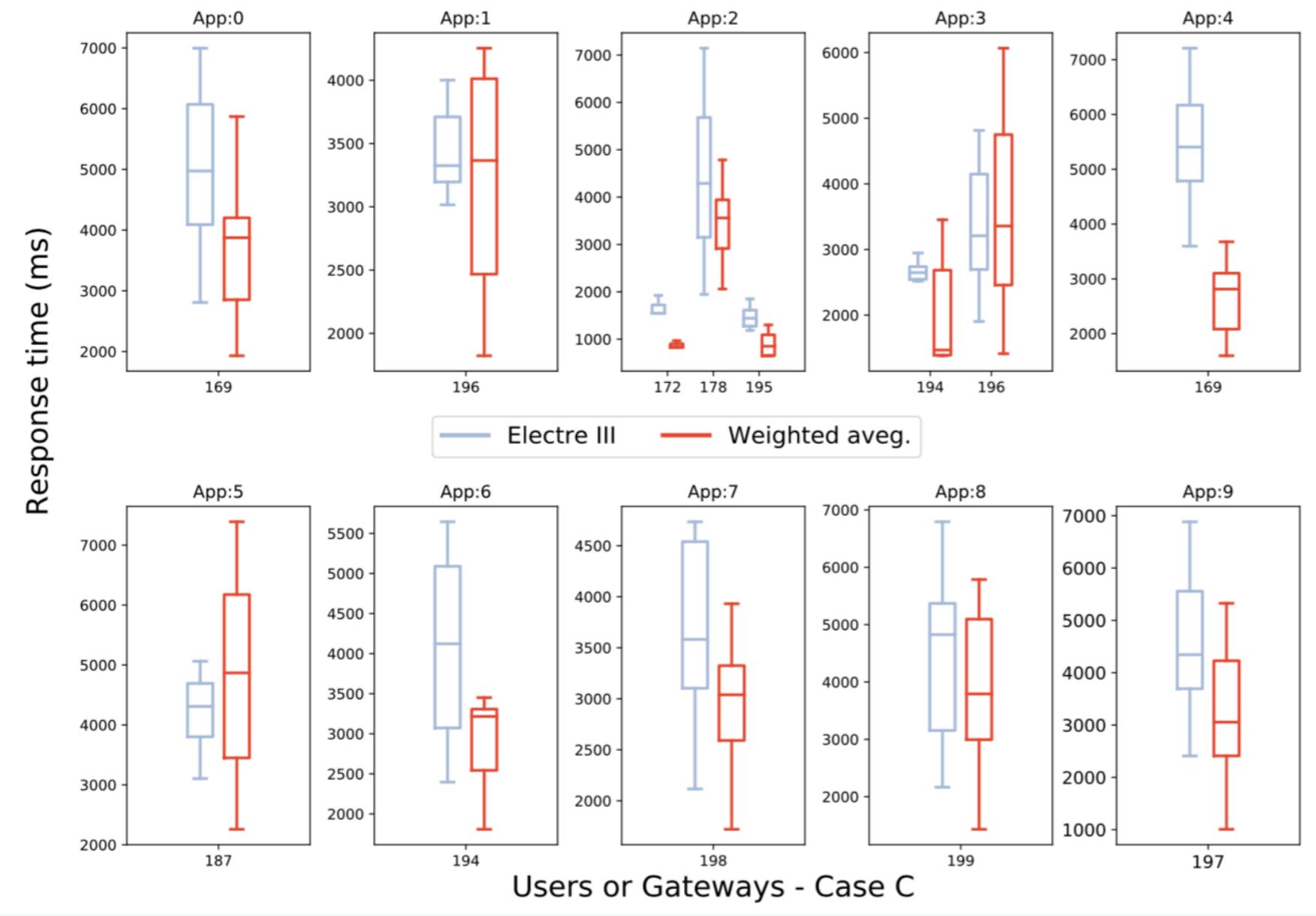
## power



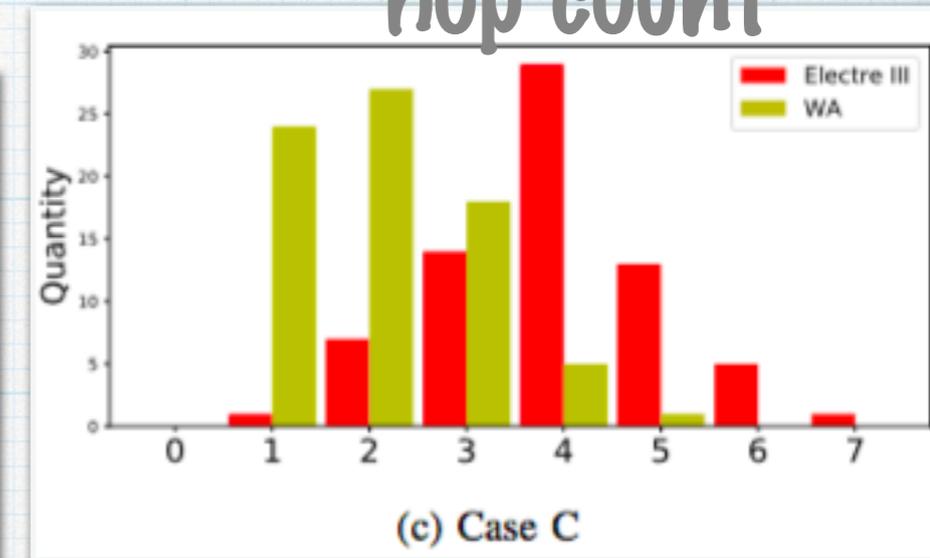
# Results

Case	Hop count	Latency	Power	Cost	D.Penalty
C	4	1	3	3	3

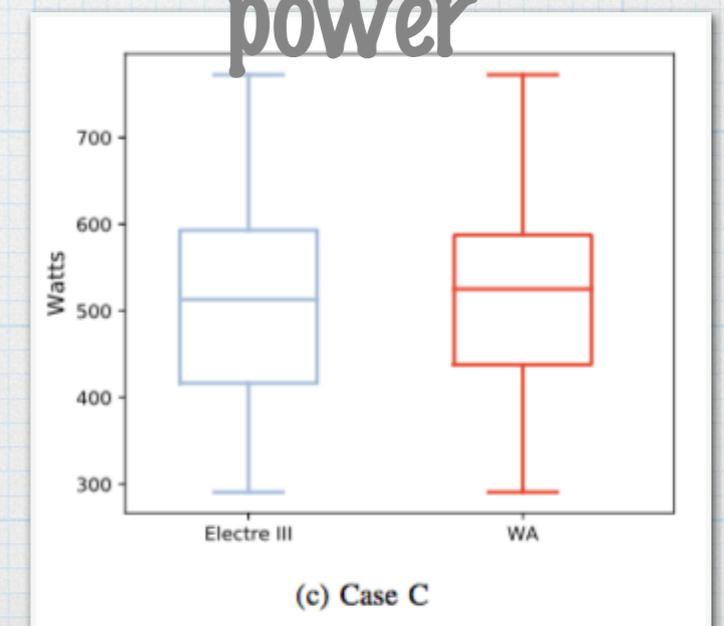
## latency



## hop count



## power



# Discussion & Conclusions

- \* EXPLORATORY WORK -> Results are limited!
- \* The WA gives more importance to a specific criteria without considering the rest (obvious)
- \* **ELECTRE III method preserves the decision maker.**
- \* Not significative results due to a uniform definition of the infrastructure. there are no polarized situations
- \* A WA is computationally less cost than this ELECTRE III method.

## Conclusion:

- \* MCDA methods can aid to find allocation with multiple and contradictory criteria; a **powerful and flexible tool** to incorporate more detailed criteria: hardware configurations, budgets, user preferences, and so on.
- \* As future work, we need to do **MORE EXPERIMENTATION**: from 2 to n-criteria, and comparing with more optimisation solutions

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Thank you for your attention

Any question?

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<http://ordcot.uib.es/>



<https://github.com/acsicuib/YAFS>